EDAA40

Discrete Structures in Computer Science

9: A few words on proofs

Jörn W. Janneck, Dept. of Computer Science, Lund University



This lecture is based on parts II and III of Richard Hammack's "Book of Proof".

definitions, theorems, proofs

A definition is a statement that gives a precise meaning to a term or a symbol.

 $A \subseteq B \text{ iff } \forall x \ (x \in A \to x \in B)$ $n \in \mathbb{Z}$ is even iff $\exists k \in \mathbb{Z} \ (n = 2k)$ $n \in \mathbb{Z}$ is odd iff $\exists k \in \mathbb{Z} \ (n = 2k + 1)$

A theorem is a statement that needs to be proven based on definitions (and axioms). $A\times (B\cap C)=A\times B\cap A\times C \qquad \qquad \text{Other words for theorem:} \\ \mu(N)>\mu(O^N)$

 $\#(\mathbb{N})<\#(2^{\mathbb{N}})$

There are infinitely many prime numbers.

A proof is a is a chain of logical reasoning showing the truth of a theorem.











